

# MSc thesis defense presentation

## Ιωσήφ Σίλλεμ defends his MSc thesis

**Date:** Δευτέρα, 17 Σεπ 2012

**ώρα:** 11:00-12:00

[Σχετικα με την  
υπολογισμητητα  
συνωνων](#)

**Thesis title:** [παρεμπιδσης για  
καλς μερικ  
διατεταγμενες  
κλσεις γραφημων](#)

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### Thesis abstract

In this MSc thesis we are going to present algorithms for computing obstruction sets of well-quasi-ordered graph classes. Neil Robertson and Paul Seymour's Graph Minor Theorem (GMT) [27] guarantees that any minor-closed graph class has a finite obstruction set. If  $C$  is such a class, the obstruction set of  $C$ ,  $\text{obs}(C)$ , is the minimal set of graphs  $H$  such that  $G$  belongs to  $C$  if and only if none of the graphs in  $H$  is contained as a minor in  $G$ . The analogous result for another well-quasi-ordering, the immersion ordering, was shown in the same series of papers (Graph Minors), in [30]. But this results are non-constructive; we know that a minor or immersion-closed graph class has a finite obstruction set but the GMT does not imply any algorithm for computing it. K. Cattell, M. J. Dinneen, R. Downey, M. R. Fellows and M. Langston in "On computing graph minor obstruction sets" [6] and I. Adler, M. Grohe and S. Kreutzer in "Computing Excluded Minors" [1] present algorithms to overcome this problem for minor-closed graph classes, as well as, applications of their methods proving that the obstruction sets of various graph classes are computable, such as the union problem. By adapting some of the methods of [1] to immersions, the analogue result for immersion obstruction sets and an algorithm for the union problem on immersion-closed graph classes are proven in [17] by A. Giannopoulou, D. Zoros and the author, under the supervision of D. M. Thilikos.

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