

# MSc thesis defense presentation

## Δημήτριος Νικολάουλος defends his MSc thesis

<b>Date:</b>	Τετάρτη, 19 Μάρ 2014
<b>Thesis title:</b>	<a href="#">Randomly-oriented RKD-trees</a>
<b>Committee:</b>	<ul style="list-style-type: none"><li>• <a href="#">Ιωάννης Εμμέρης</a></li><li>• <a href="#">D. Gounopoulos</a></li><li>• <a href="#">Μανώλης Κουμπάρκης</a></li></ul>

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### Thesis abstract

Consider a set  $S$  of points in a real  $D$ -dimensional space  $\mathbb{R}^D$ , where distances are defined using function  $\Delta : \mathbb{R}^D \times \mathbb{R}^D \rightarrow \mathbb{R}$  (the Euclidean metric). Nearest neighbor search is an optimization problem for finding the closest points in  $S$  to a given query point  $q \in \mathbb{R}^D$ . Given a positive real  $\epsilon > 0$  then a point  $p \in S$  is a  $(1+\epsilon)$ -approximate nearest neighbor of the query point  $q \in \mathbb{R}^D$  if  $\text{dist}(q, p) \leq (1 + \epsilon)\text{dist}(q, p_{nn})$  where  $p_{nn} \in S$  is the true nearest neighbor to  $q$ . If the data that is expressed in high-dimensional space  $\mathbb{R}^D$  lies closer to an embedded manifold  $M$  of dimension  $d$ , where  $d \ll D$ , then, we show the data may be preprocessed into the Randomly-oriented RKD-trees structure and we provide a near optimal bound on the number of levels required to reduce the size of its cells by a factor  $s \geq 2$ . We show the data may be preprocessed into the structure in  $O(D \cdot N \cdot \log N)$  time and  $O(D \cdot N)$  space, so that given a query point  $q \in \mathbb{R}^D$  and  $\epsilon > 0$ , a  $(1+\epsilon)$ -approximate nearest neighbor of  $q$  may be found in high-dimensional data with an underlying low-intrinsic dimensional subspace.

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